

Collisions:

Separating collisions

Non-separating collisions (contact problem)

Separating collisions:

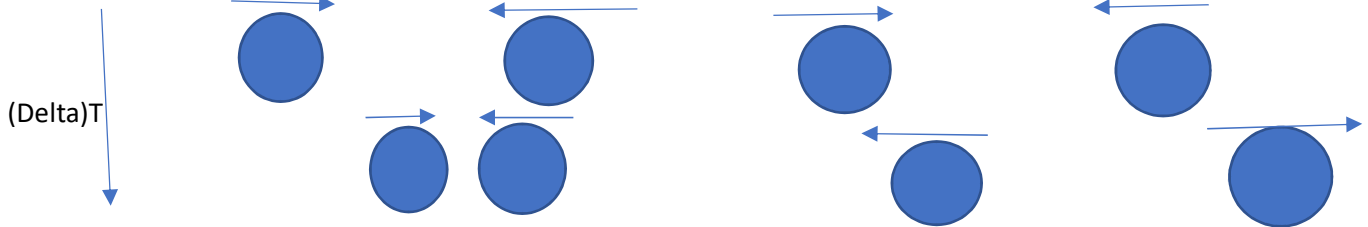
1. collision detection
2. collision resolution

Collision Detection:

1. Time:

a. Discrete time : $0, (\Delta T), 2(\Delta T), 3(\Delta T), \dots$

i. (ΔT) must be "small enough"/limited size



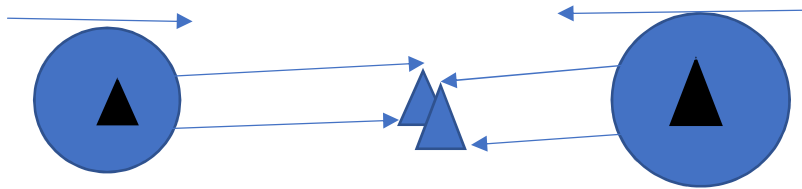
(Δx) -> min edge length of the bounding box over all objects

$|(\Delta V)|$ -> max velocity over all objects

$(\Delta T) < (\alpha) ((\Delta x) * (.1)) / |(\Delta V)|$ -> time step restriction

(α) -> CFL constant: Courant-Freidrids-Levy constant $0 < (\alpha) < 1$

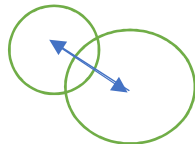
b. continuous time



Cubic equation ^

Expensive to detect all of the cubic eqs for each triangle

Instead, use **SPHERE HIERARCHIES**



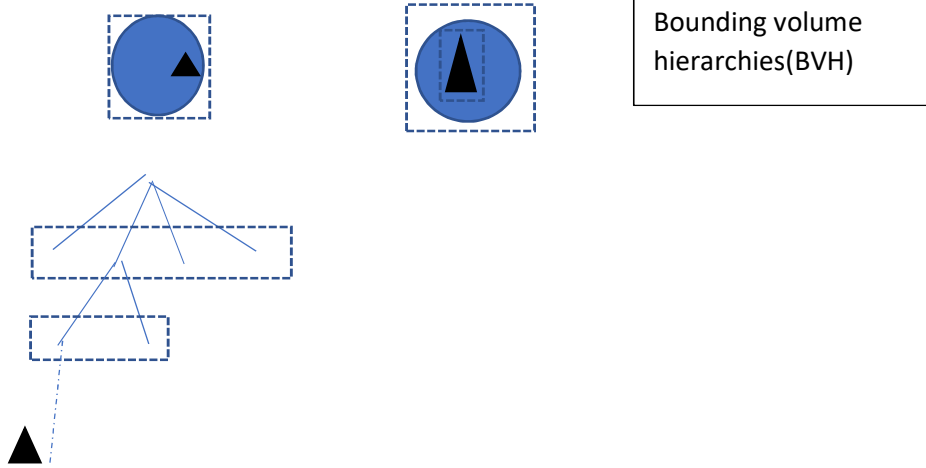
Utilize sphere bounding boxes ad calculate radius and distance with those

Measure how good collision detection with cloth sims

Collision detection:

1. Object representation

a. mesh representation (verts and tris)



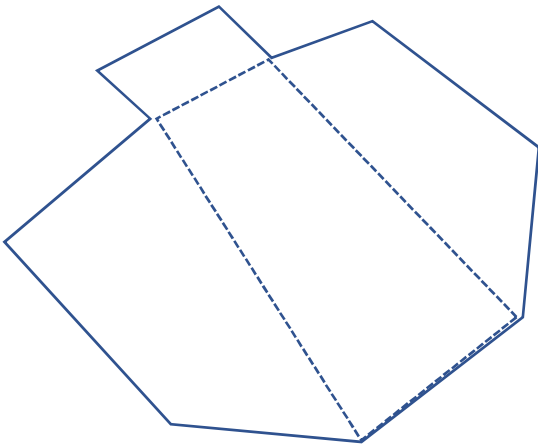
Check box-box, going down the hierarchy until you hit the tri-tri intersections.

Box-box are robust. tri-tri are complex. Use (Jon Shewchuk robust predicates) (usually first result. if not, look for one with 690 citations)

This detection can take a while.

To optimize, use

Convex Decomposition:

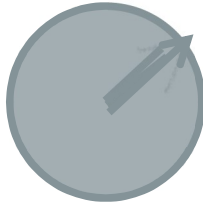
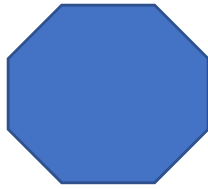


Break concave pieces into convex pieces. No efficient way to do this precisely is known.

Approximate is what is used.

Implicit Surfaces:

Explicit -> individual points/triangles on the surface



Isocontour => same height (topography maps)

$$(\phi): \mathbb{R}^n \rightarrow \mathbb{R}$$

$$(\phi)(x, y) = x^2 + y^2$$

$$(\phi)(x, y) = 0$$

$$(\phi)(x, y) = c$$

c – isocontour

Surface:

o-isocontour of (ϕ)